

Indefinites and Sluicing A Type-Logical Approach

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Workshop Cross-modular approaches to ellipsis

Outline of talk

- Anaphora in Type Logical Grammar
- Extrapolation to indefinites
- Linguistic consequences:
 - Indefinites and scope
 - Sluicing

Anaphora in TLG

Jacobson's proposal

- Semantics: pronouns denote identity functions
- Syntax: third slash: “ $A|B$ ” is category of anaphoric expression
- Pronouns: category $np|np$

Adaptation to TLG

- Natural Deduction rules for anaphora slash

$$\begin{array}{c}
 [M : A]_i \quad \dots \quad \frac{N : B|A}{[NM : B]_i} |E, i \quad \frac{\begin{array}{c} \frac{M : A|B}{Mx : A} \quad i \\ \vdots \\ \vdots \end{array}}{\frac{np : C}{\lambda x N : C|B} |I, i}
 \end{array}$$

- Only constraint on anaphora resolution: The antecedent must precede the pronoun

Binding

(1) John said he walked

$$\begin{array}{c}
 \frac{\text{John}}{[J' : np]_i} \text{lex} \quad \frac{\text{said}}{\text{SAY}' : np \backslash s / s} \text{lex} \quad \frac{\frac{\text{he}}{[\lambda x.x : np | np]_i} \text{lex}}{J' : np} \text{lex} \quad \frac{\text{walked}}{\text{WALK}' : np \backslash s} \text{lex} \\
 \frac{\frac{\frac{\frac{\frac{\frac{\text{SAY}'(WALK' J') : np \backslash s}{\text{WALK}' J' : s} / E}{\text{SAY}'(WALK' J') : np \backslash s} \backslash E}{\text{SAY}'(WALK' J') J' : s} \backslash E}
 \end{array}$$

Percolation

$$\begin{array}{c}
 \frac{\text{John}}{J' : np} \text{ lex} \quad \frac{\text{said}}{\text{SAY}' : np \backslash s / s} \text{ lex} \quad \frac{\text{he}}{\lambda x.x : np | np} \text{ lex} \quad \frac{\text{walked}}{\text{WALK}' : np \backslash s} \text{ lex} \\
 \frac{\text{SAY}'(WALK'y) : np \backslash s}{\text{WALK}'y : s} /E \quad \frac{\text{WALK}'y : s}{\text{WALK}' : np \backslash s} \backslash E \\
 \frac{\text{SAY}'(WALK'y)J' : s}{\text{SAY}'(WALK'y) : np \backslash s} \backslash E \\
 \frac{\text{SAY}'(WALK'y)J' : s}{\lambda y.\text{SAY}'(WALK'y)J' : s | np} |I, 1
 \end{array}$$

VP Ellipsis

(2) John revised his paper, and Harry did (too).

- stranded auxiliary *did* is treated as proverb
 $(\lambda P.P : (np \setminus s) | (np \setminus s))$
- the lexical entry for non-elliptical *did* is
 $\lambda P.P : (np \setminus s) / (np \setminus s)$
- strict/sloppy ambiguity: pronoun is either identified with the actual subject or with a hypothetical premise that is discharged later

$$\begin{array}{c}
\frac{\frac{\frac{John}{lex} \quad [J']_i \quad np}{\backslash E} \quad \frac{\frac{revised\ his\ paper}{lex} \quad [\lambda x.R'(P'x)]_i \quad (np \backslash s) | np}{| E}}{\backslash E} \quad \frac{\frac{and}{lex} \quad s \backslash s / s}{\backslash E} \quad \frac{\frac{\frac{Harry}{lex} \quad H' \quad np}{\backslash E} \quad \frac{\frac{did}{lex} \quad [\lambda P.P]_j \quad (np \backslash s) | (np \backslash s)}{| E}}{\backslash E}}{/ E} \\
\frac{\frac{R'(P'J')J'}{s} \quad \frac{AND'(R'(P'J')H')}{s \backslash s}}{\backslash E} \\
AND'(R'(P'J')H')(R'(P'J')J') \\
s
\end{array}$$

$$\begin{array}{c}
\textit{revised his paper} \\
\hline
[\lambda x.R'(P'x)]_i \\
(np \setminus s) | np \quad |E \\
\hline
1 \\
\begin{array}{c} [x]_i \\ np \end{array} \quad \begin{array}{c} R'(P'x) \\ np \setminus s \end{array} \quad \setminus E \\
\hline
R'(P'x)x \\
s \\
\hline
\begin{array}{c} \textit{John} \textit{ lex} \\ J' \\ np \end{array} \quad \begin{array}{c} s \\ [\lambda x.R'(P'x)x]_j \\ np \setminus s \end{array} \quad \setminus I, 1 \\
\hline
R'(P'J')J' \\
s \\
\hline
\begin{array}{c} \textit{and} \textit{ lex} \\ AND' \\ s \setminus s / s \end{array} \quad \begin{array}{c} \textit{Harry} \textit{ lex} \\ H' \\ np \end{array} \quad \begin{array}{c} \textit{did} \textit{ lex} \\ [\lambda P.P]_j \\ (np \setminus s) | (np \setminus s) \\ \lambda x.R'(P'x)x \\ np \setminus s \end{array} \quad |E \\
\hline
AND'(R'(P' H')H') \\
s \\
\hline
AND'(R'(P' H')H') \\
s \setminus s \\
\hline
AND'(R'(P' H')H')(R'(P' J')J') \\
s \\
\hline
AND'(R'(P' H')H')(R'(P' J')J') \\
s \\
\hline
\setminus E
\end{array}$$

Interaction with Quantification

- Background: Moortgat's *in situ* binder $q(np, s, s)$
- to scope a quantifier, 1. insert an hypothetical np into its position, 2. derive the local clause, 3. discharge the assumption, and 4. apply the quantifier to the resulting predicate
- Hypothetical np can serve as antecedent of a pronoun

(3) a. Everybody loves his mother

$$\begin{array}{c}
 \frac{\textit{everybody}}{q(np, s, s)} \textit{lex} \quad \frac{\textit{loves}}{np \backslash s / np} \textit{lex} \quad \frac{\textit{his mother}}{[np|np]_i} \\
 \frac{\textit{EVERY}'}{1} \quad \frac{\textit{LOVE}' \quad \textit{MOTHER}'x}{np} \quad |E \\
 \hline
 \textit{EVERY}' \quad \textit{LOVE}'(\textit{MOTHER}'x) \quad /E
 \end{array}$$

b.

$$\begin{array}{c}
 \frac{[np]_i}{x} \quad \frac{np \backslash s}{\textit{LOVE}'(\textit{MOTHER}'x)} \quad \backslash E \\
 \hline
 s \\
 \frac{\textit{LOVE}'(\textit{MOTHER}'x)x}{s} \quad qE, 1 \\
 \hline
 \textit{EVERY}'(\lambda x. \textit{LOVE}'(\textit{MOTHER}'x)x)
 \end{array}$$

- Derivation of a bound reading for *His mother loves everybody* fails since the hypothetical *np* does not precede the pronoun \Rightarrow accounts for Crossover phenomena
- bound readings only possible as long as quantifier isn't scoped \Rightarrow bound pronouns are in the scope of the binder

Embedded Antecedents

(4) a. Everybody's mother loves him

b.

$$\begin{array}{c}
 \frac{\textit{everybody}}{\textit{q(np, s, s)}} \textit{lex} \\
 \frac{\textit{EVERY'}}{[np]_i} 1 \\
 \frac{y}{np/n} \textit{OF}' \\
 \hline
 \textit{np/n} \textit{OF}'y \\
 \hline
 \textit{np}
 \end{array}
 \quad
 \frac{\textit{'s}}{np \backslash np/n} \textit{lex} \\
 \frac{\textit{mother}}{n} \textit{lex} \\
 \frac{\textit{LOVES'}}{np \backslash s/np} \textit{lex} \\
 \hline
 \textit{np} \textit{LOVE}'y \\
 \hline
 \textit{s}
 \end{array}
 \quad
 \frac{\textit{loves}}{np \backslash s/np} \textit{lex} \\
 \frac{\textit{LOVES'}}{np} \textit{lex} \\
 \hline
 \textit{np} \textit{LOVE}'y \\
 \hline
 \textit{s}
 \end{array}
 \quad
 \frac{\textit{him}}{[np|np]_i} \textit{lex} \\
 \frac{\lambda x.x}{np} \textit{lex} \\
 \hline
 \textit{np} \textit{LOVE}'y \\
 \hline
 \textit{s}
 \end{array}
 \quad
 \frac{\textit{OF}'y \textit{MOTHER}'}{np} \textit{lex} \\
 \frac{\textit{LOVE}'y(\textit{OF}'y \textit{MOTHER}')}{np \backslash s} \textit{lex} \\
 \hline
 \textit{s}
 \end{array}
 \quad
 \frac{\textit{LOVE}'y(\textit{OF}'y \textit{MOTHER}')}{qE, 1} \\
 \hline
 \textit{s}
 \end{array}
 \quad
 \frac{\textit{EVERY}'(\lambda y. \textit{LOVE}'y(\textit{OF}'y \textit{MOTHER}'))}{s}$$

Covering indefinites

Basic idea

- (5) a. It moved.
b. Something moved.
- Proposal: (a) and (b) have
 - the same denotation: $\lambda x.\text{MOVE}'x$
 - different syntactic categories

Type Logical implementation

- yet another substructural implication, “ \rightsquigarrow ”
- Intuition: $A \rightsquigarrow B$: category of B -sign containing an indefinite A
- category of indefinite NPs: $np \rightsquigarrow np$
- *it* and *something* both denote the identity function on individuals

- indefinites function compose with their semantic environment
- Natural deduction rule:

$$\frac{
 \begin{array}{c}
 M : A \rightsquigarrow B \\
 \hline
 Mx : B
 \end{array}
 \begin{array}{c}
 i \\
 \vdots \\
 \vdots
 \end{array}
 }{
 \begin{array}{c}
 N : C \\
 \hline
 \lambda x N : A \rightsquigarrow C
 \end{array}
 \rightsquigarrow, i
 }$$

(6) a. John saw something.

$$\begin{array}{c}
 \frac{\textit{something}}{\textit{lex}} \\
 \lambda x x \\
 \frac{\textit{saw}}{\textit{lex}} \quad \frac{\textit{np} \rightsquigarrow \textit{np}}{\textit{i}} \\
 \text{SEE}' \\
 \textit{y} \\
 \frac{\textit{John}}{\textit{lex}} \quad \frac{(\textit{np} \setminus \textit{s}) / \textit{np}}{\textit{np}} / E \\
 \text{b. JOHN}' \quad \text{SEE}'\textit{y} \\
 \textit{np} \quad \textit{np} \setminus \textit{s} \\
 \hline
 \text{SEE}'\textit{y} \text{JOHN}' \\
 \textit{s} \\
 \hline
 \lambda \textit{y} . \text{SEE}'\textit{y} \text{JOHN}' \rightsquigarrow, \textit{i} \\
 \textit{np} \rightsquigarrow \textit{s}
 \end{array}$$

Descriptive content

- Idea: descriptive content expresses domain restriction
- $\|a\|$ = function that maps a property to the identity function over its extension
- $\|a \text{ cup}\|$ = identity function on the set of cups
- $\|a \text{ cup moved}\|$ = partial function f from individuals to truth values:
 - $f(x) = 1$ iff x is a cup that moved
 - $f(x) = 0$ iff x is a cup that did not move
 - $f(x)$ is undefined iff x is not a cup

Variable free existential closure

- Existential closure of a partial function: “big union” over its domain
- built in into the truth definition and the semantics of propositional operators (as in DRT)
- Relativization to syntactic categories to confine existential closure to indefinites

- Truth is relativized to sequence of referents and syntactic category

Definition 1 (Truth)

$$\begin{array}{ll}
 \vec{e} \models \alpha : s & \text{iff } \alpha = 1 \\
 c\vec{e} \models \alpha : S|np & \text{iff } \vec{e} \models (\alpha c) : S \\
 \vec{e} \models \alpha : np \rightsquigarrow S & \text{iff } \vec{e} \models \left(\bigcup_{\alpha c \text{ is defined}} (\alpha c) \right) : S
 \end{array}$$

(7) A cup moved.

$$\vec{e} \models \|\lambda x \text{CUP}'_x \cdot \text{MOVE}' x\|_g : np \rightsquigarrow s \iff$$

$$\vec{e} \models \bigcup_{a \in \|\text{CUP}'\|_g} \|\text{MOVE}'\|_g(a) : s \iff$$

$$\bigcup_{a \in \|\text{CUP}'\|_g} \|\text{MOVE}'\|_g(a) = 1 \iff$$

$$\exists a. a \in \|\text{CUP}'\|_g \cap \|\text{MOVE}'\|_g$$

Negation

- Negation is polymorphic
- indefinites in its scope are (optionally) existentially closed
- anaphora slots are passed through unchanged

Definition 2 (Negation)

$$\begin{aligned}\sim \alpha : s &= 1 - \alpha \\ \sim \alpha : S|A &= \lambda c. \sim (\alpha c) \\ \sim \alpha : A \rightsquigarrow S &= \sim \left(\bigcup_{c \in Dom(\alpha)} \alpha c \right)\end{aligned}$$

Linguistic consequences

Indefinites and scope

(8) John didn't see a cup move.

- First option: existential closure by negation:

$$\begin{aligned} & \neg \lambda x \text{CUP}'_x \cdot \text{SEE}'(\text{MOVE}'x)\text{JOHN}' \\ & \equiv \\ & \neg \exists x (\text{CUP}'x \wedge \text{SEE}'(\text{MOVE}'x)\text{JOHN}') \end{aligned}$$

- Second option: existential closure at matrix level:

$$\begin{aligned} & \lambda x \text{CUP}'_x \cdot \neg \text{SEE}'(\text{MOVE}'x)\text{JOHN}' \\ & \equiv \\ & \exists x (\text{CUP}'x \wedge \neg \text{SEE}'(\text{MOVE}'x)\text{JOHN}') \end{aligned}$$

Properties of the analysis

No island effects

- An indefinite can take scope over each clause it is contained in
- Indefinites scopally interact with operators like negation, but:
 - No movement involved \rightsquigarrow not constrained by constraints on movement
 - scoping mechanism is independent from quantifier scoping \rightsquigarrow not constrained by constraints on quantifier scope

No split between existential force and descriptive content

- descriptive part is interpreted as domain restriction of partial function
- is inherited by superconstituents in semantic composition:

$$Dom(f) \subseteq Dom(f \circ g)$$

- Existential closure entails non-emptiness of domain
- Thus existential and descriptive scope are always identical

Avoids

- “Donald Duck Problem” of naive long-distance existential closure analysis:

- (9) a. Max will be offended if we invite a certain philosopher.
- b. $\simeq \exists x(\text{PHILO}'x \wedge (\text{INVITE}'x\text{WE}' \rightarrow \text{OFFENDED}'M'))$
- c. $\neq \exists x(\text{PHILO}'x \wedge \text{INVITE}'x\text{WE}' \rightarrow \text{OFFENDED}'M')$

Sluicing

- (10) a. A cup moved, and Bill wonders which cup.
b. A cup moved, and Bill wonders which cup moved.

- Syntax:

- Sluicing involves a bare *wh*-phrase
- needs a declarative clause containing an indefinite as antecedent

- Semantics:

- “missing” material is identical to antecedent except that indefinite is replaced by *wh*-trace

- Proposal: *which cup* has two types (but only one meaning):

(11) a. $q/(s \uparrow np) : \lambda P. ?x \text{CUP}'x \wedge Px$
b. $q|(np \rightsquigarrow s) : \lambda P. ?x \text{CUP}'x \wedge Px$

- Antecedent clause has exactly the denotation that is needed to complete the elliptical question

$$\begin{array}{c}
\frac{\text{John}}{np} \text{lex} \quad \frac{\frac{\text{invited}}{(np \setminus s)/np} \text{lex}}{np \setminus s} \setminus E \quad \frac{\frac{\frac{\text{some}}{(np \rightsquigarrow np)/n} \text{lex} \quad \frac{\text{philosopher}}{n} \text{lex}}{np \rightsquigarrow np} i}}{np} /E \\
\frac{\frac{s}{[np \rightsquigarrow s]_j} \rightsquigarrow, i}{s} k \\
\frac{\frac{\text{but}}{(s \setminus s)/s} \text{lex} \quad \frac{\frac{\text{it_is_unclear}}{s/q}}{q} /E \quad \frac{\frac{\text{which}}{(q|(np \rightsquigarrow s))/n} \text{lex} \quad \frac{\text{philosopher}}{n} \text{lex}}{q|(np \rightsquigarrow s)} |E, j}}{s \setminus s} \setminus E \quad \frac{s}{s} /E \\
\frac{s}{np \rightsquigarrow s} \rightsquigarrow k
\end{array}$$

Predictions

Antecedent must contain an indefinite

- (12) *The cup moved, and Bill wonders which cup.
- First conjunct has category s
 - *which cup* requires antecedent of category $np \rightsquigarrow s$
 - $\bar{\lambda}$ -elimination not applicable

Sluicing is island insensitive

- No transformational connection to non-elliptical counterpart
- No restrictions on scope of indefinites \Rightarrow no restrictions on embedding depth of antecedent indefinites in Sluicing

- (13)
- a. The administration has issued a statement that it is willing to meet with one of the student groups, but I'm not sure which one
 - b. *The administration has issued a statement that it is willing to meet with one of the student groups, but I'm not sure which one the administration has issued a statement that it is willing to meet with
- from Chung, Ladusaw and McCloskey 1995

Morphological sensitivity

(14) Er will jemandem schmeicheln, aber sie wissen nicht
{wem / *wen}

HE WANTS SOMEONE_{DAT} FLATTER BUT THEY KNOW NOT {WHO_{DAT} /
*WHO_{ACC}}

'He wants to flatter someone, but they don't know
whom'

- morphological information coded in syntactic category
- indefinite NP in dative has category $np(dat) \rightsquigarrow np(dat)$
- clause containing dative indefinite: $np(dat) \rightsquigarrow s$
- Sluicing remnant in dative: $q|(np(dat) \rightsquigarrow s)$

Conclusion

- Indefinites and pronouns are interpreted as (partial) identity functions
- Pronoun binding via syntactic deduction
- existential impact of indefinites is buried in truth definition/semantics of negation etc.
- descriptive content of indefinites is interpreted as domain restriction
- empirical coverage: specificity and sluicing

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